AEI: simulation of the disk ejection mechanism and A simple idea about the lag structure

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I. MHD simulations of the AEI

i) 2D disk simulationii) Toward 3D: the difficulties

2D MHD Code

• 2D \Rightarrow OK, because the physics of the AEI does not change much in the dick thickness (as for galactic spirals) v, ρ , ... ~ constant in the disk

 logarithm grid ⇒ well adapted to the problem (more dense at low r, allows a disk extending to large r)

● physics similar to galactic spirals → similar method

- a magnetic potential outside the disk $\vec{B} = \nabla \Phi_M$
- perturbed currents → jumps of B at the surface

 $\Delta \Phi_M = -B_z \delta(z) \qquad \longleftrightarrow \qquad \Delta \Phi = 4\pi G \Sigma \delta(z)$

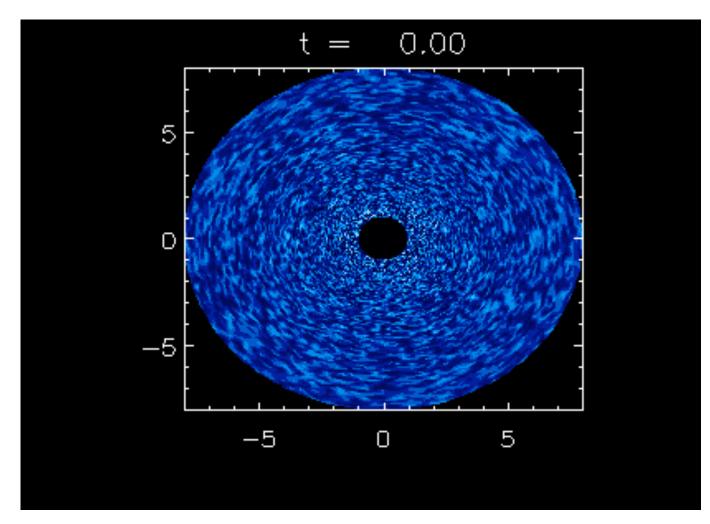
 $\partial_t B_z + \nabla \cdot (B_z \vec{v}) = 0 \qquad \longleftarrow \qquad \partial_t \Sigma + \nabla \cdot (\Sigma \vec{v}) = 0$

conservation of vertical magnetic flux

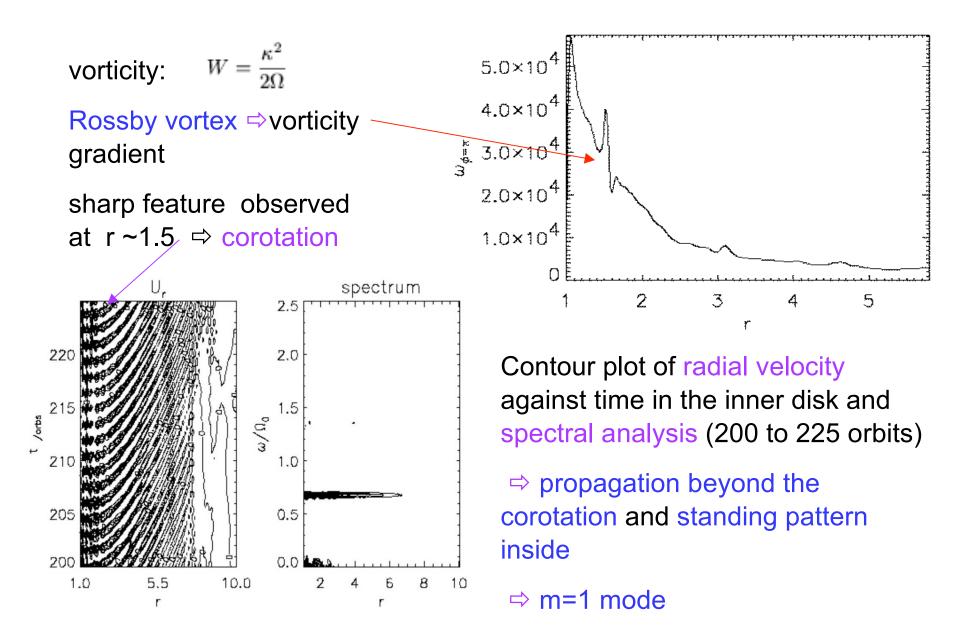
continuity

• use of the FARGO scheme (Masset 2000) which remove the keplerian motion from the computation of the time step and limits numerical diffusion

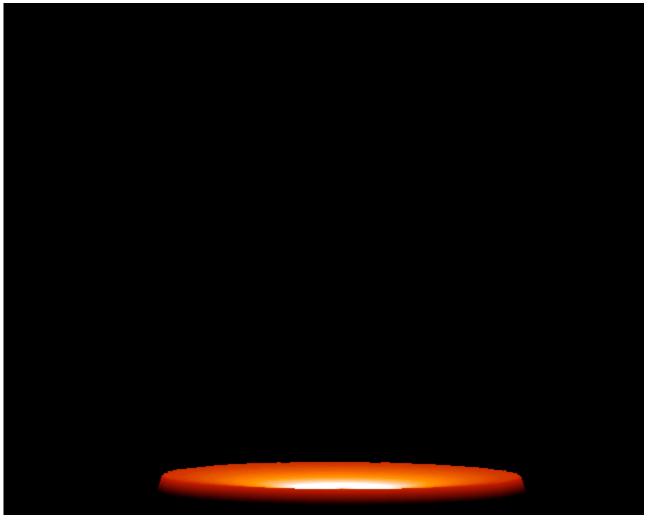
2D simulation



Results from the simulations



Results from simulations (2)



disk with inclinaison of 70 degree

Toward 3D: the difficulties

div B = 0 (CT but difficulties with AMR structure, 2nd order)
initial condition of the disk + corona
magnetic boundary condition
cylindrical geometry

⇒ a lot to be done, work in progress in many groups

II. About the jet/wind powering

i) Alfven waves emissionii) Variational formiii) Alfven wave flux

Alfven Wave Emission

The Rossby vortex twists the foot point of the field line going through the disk. If the disk has a low density corona:

twist \rightarrow propagation by the mean of Alfven wave

energy and angular momentum extracted from the inner part of the disk will be transferred toward the corona where they can power a wind or a jet

From observation it seems that most of the accretion energy is emitted in the jet.

→ we have to compute the efficiency of the Alfven wave emission and compare it with the observation.

First step: dispersion relation:
$$k_z^2 V_{A\infty}^2 = \frac{\Omega}{m\Omega'^2} \ \partial_s \ln\left(\frac{W}{V_A^2}\right) \tilde{\omega}^3$$

→ we obtain Rossby-Alfven wave, i.e. wave that propagate as Alfven waves but affected by the vorticity gradient. ($(\omega-m\Omega)^3$ → propagation on ONE side of the corotation.

• we can now compute the flux of Alfven wave

Variational form

We describe the system with a variational form \Rightarrow

$$\int_{s_{min}}^{s_{max}} \alpha \tilde{\omega}^{2} (|\nabla_{\perp} \overline{\mathcal{Y}}|^{2} - |\nabla_{\perp} \overline{\Phi}|^{2}) ds + 2 \int_{s_{min}}^{s_{max}} \alpha \Omega \Omega' |\partial_{s} \overline{\Phi}|^{2} ds$$

$$+ 2m \int_{s_{min}}^{s_{max}} \partial_{s} (\alpha \tilde{\omega} \Omega) |\overline{\Phi}|^{2} ds - 2m \int_{s_{min}}^{s_{max}} \tilde{\omega} \partial_{s} (\alpha \Omega) |\mathcal{Y}|^{2} ds$$

$$+ [\alpha \overline{\Phi}^{*} (\tilde{\omega}^{2} \nabla_{\perp} \overline{\Phi} - 2\Omega \Omega' \partial_{s} \overline{\Phi})]_{s_{min}}^{s_{max}} - [\alpha \tilde{\omega}^{2} \overline{\mathcal{Y}} \nabla_{\perp} \overline{\mathcal{Y}}^{*}]_{s_{min}}^{s_{max}}$$

$$+ [\alpha \overline{\Phi}^{*} (\tilde{\omega}^{2} \nabla_{\perp} \overline{\Phi} - 2\Omega \Omega' \partial_{s} \overline{\Phi})]_{s_{min}}^{s_{max}} - [\alpha \tilde{\omega}^{2} \overline{\mathcal{Y}} \nabla_{\perp} \overline{\mathcal{Y}}^{*}]_{s_{min}}^{s_{max}}$$

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$$+ k_{Z} \text{ Alfven wave})$$
imaginary term \Rightarrow amplification or damping of the wave
$$- \int_{s_{min}}^{s_{max}} \int_{d} \Phi^{*} \nabla_{\perp}^{2} \nabla^{2} \Phi dz \, ds - \int_{s_{min}}^{s_{max}} [\mathcal{Y} \partial_{z} \nabla_{\perp}^{2} \mathcal{Y}]_{z_{min}}^{z_{max}}} ds$$
Alfven wave flux

The Alfven terms are singular at the vortex (corotation)

 \Rightarrow propagation of the singularity in the corona

Alfven wave flux

<u>Efficiency of the mechanism</u>: we compute the ratio between the flux emitted toward the corona by the mean of Alfven wave and the energy transported by accretion (flux stored at the corotation)

$$\frac{F_{Alfven}}{F_{disk}} \sim \left(\frac{\rho_{corona}}{\rho_{disk}}\right)^{1/2} \left(\frac{r}{h}\right)^{3/2}$$

typical aspect ration for an X-ray binary: $h/r \sim 10^{-2}$

→ $F_{Alfven}/F_{disk} \sim 1$ very efficient mechanism when the density become greater than $\rho_{corona}/\rho_{disk} \sim 10^{-6}$

III. About the changing lag

- i) the lag problem
- ii) a simple idea
- iii) example of GRS 1915+105
- iv) application / toy model

The Observed Lag Structure

The phase lag structure between the hard and soft X-ray photons observed in GRS 1915+105 and XTE J1550-564 has been said to be « complex » because :

* the phase of the low-frequency Quasi-Periodic Oscillation (QPO) fundamental Fourier mode changes sign with time (negative to positive to negative)

* the sign of the odd and even harmonics lag behaves differently

> Difficult to explain in the framework of the comptonization model

Aim and Idea

Aim: how to have a lag that changes sign without changing the physical process at the origin of both the soft and hard X-ray

how to have the coherence between them dropping without changing the physical process that relate them

Idea: adding a new effect (absorption) on the top of the low energy band of the QPO modulation (suppose to come from an orbiting structure coherent with the AEI)

behavior of Fourier Transform in case of an absorb signal

Lag: a simple derivation

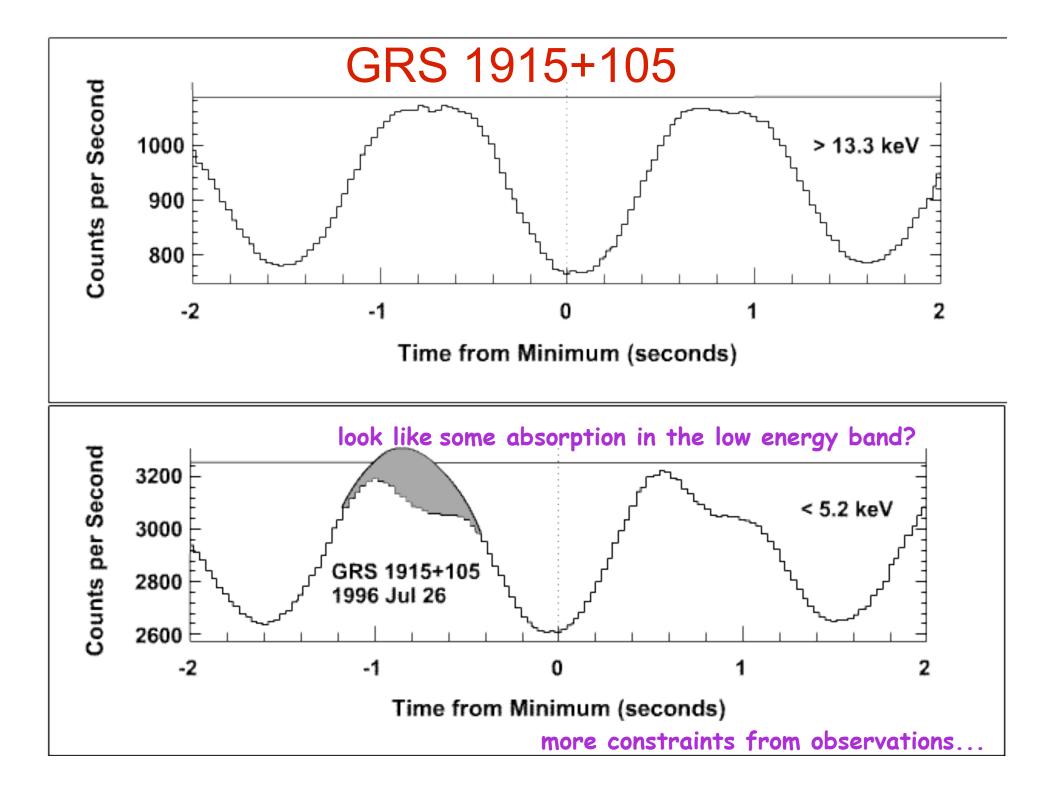
$$\delta t(
u_j) ~=~ rac{arg(X_2)-arg(X_1)}{2\pi
u_j}$$

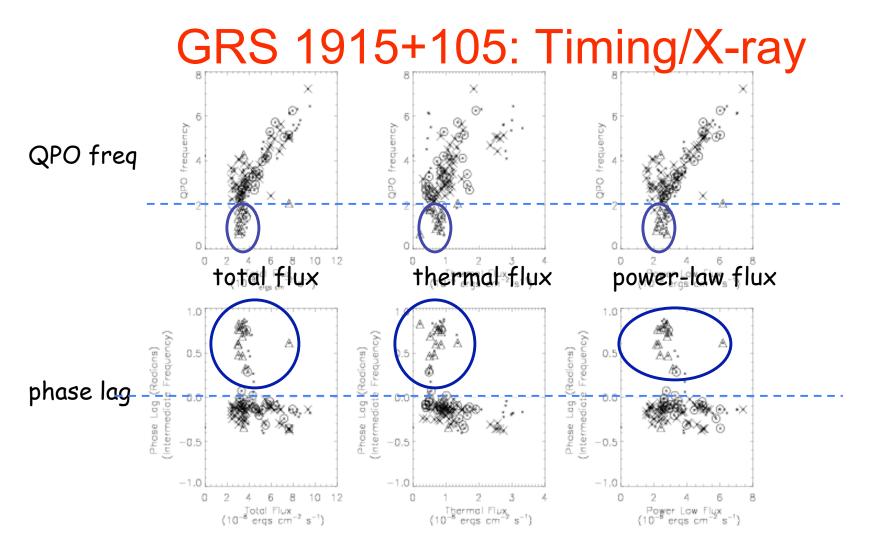
→ a change in any one bands, caused by internal or external phenomena, can create a sign reversal of the lag

$$\begin{array}{rcl} \mathsf{Ex:} & \cos\theta + \epsilon \, \sin\theta & = & \displaystyle \frac{1}{\cos\phi} \, \cos(\theta - \phi) \\ & \tan\phi & = & \displaystyle \epsilon \end{array}$$

Jusing this in the low energy band, one can reproduce the observed behavior of the lags and harmonics

If there is an absorption of a small part of the QPO modulation in the low energy band and not in the hard one this simple fact can explain the changing sign of the lag

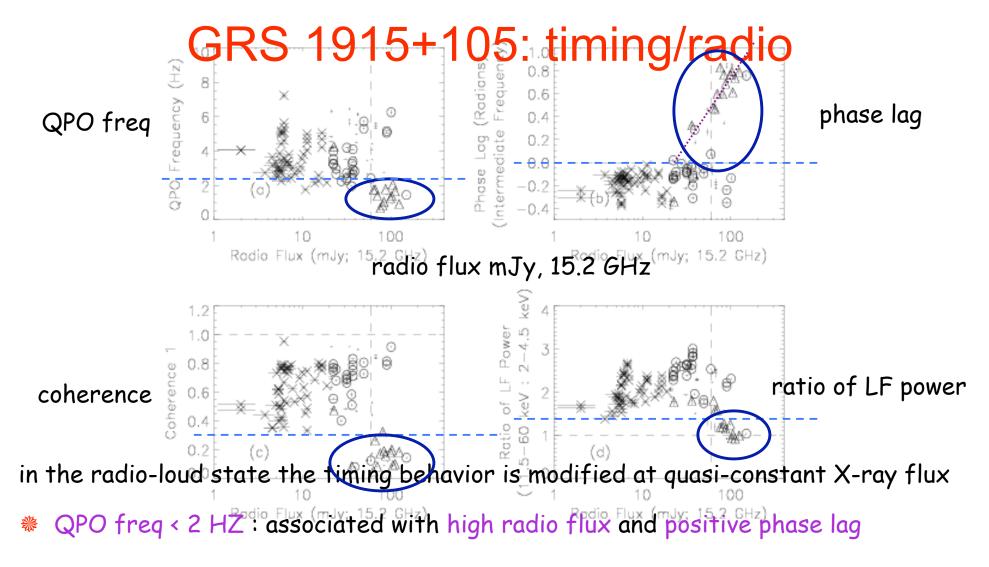




the temporal properties correlate with the different component of the X-ray flux BUT two populations can be distinguished

→ QPO freq > 2 Hz , usual correlation with the total and power-law fluxes

→ QPO freq < 2 Hz , no correlation (similar flux level)... those points are the only ones exhibit positive phase lag and also have high radio flux



* those points also have a low coherence between the soft and hard X-ray (meaning the hard component cannot be deduced from the soft one by a linear transformation)

→ either these QPOs arise from a different mechanism (one related to the jet and the other not) or there is a threshold in radio flux above which new phenomenc appear in addition to the QPO mechanism.

Application to microquasars obervation

Using the constraint from observations together with the Fourier Transform behavior in case of an energy dependent absorption.

What can produced that absorption:

need to find what may produce the absorbed part of the QPO modulation at low energy, and need to be related to the jet emission.

→ Suppose the base of the jet/corona gets « between » the observer and the structure that create the modulation. This will induce a small modulation on top.

In fact any structure that can absorb a part of the low energy modulation and related to the jet may work. We will continue to study this by using numerical simulation and produce synthetic spectra that will be compare with observations.

→ This simple model is able to explain the changing sign of the lag and the drop of coherence...

absorption? toy model...

